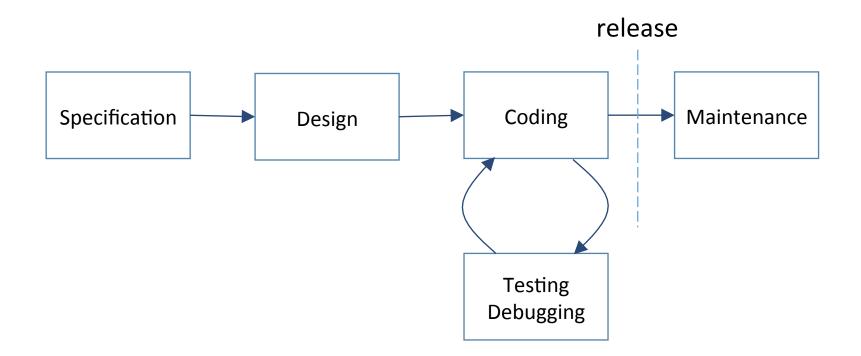
CSc 120 Introduction to Computer Programming II

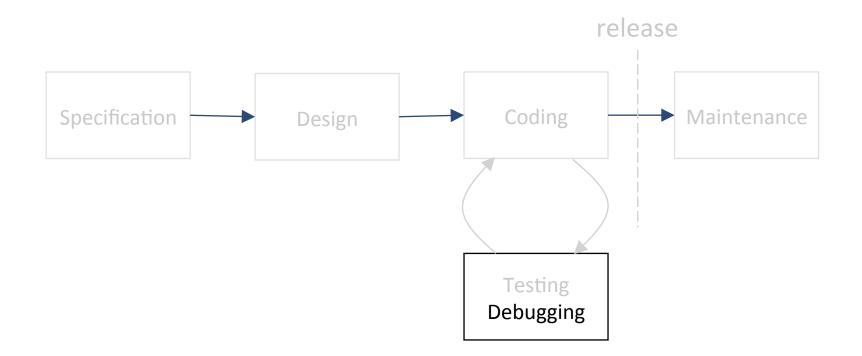
Adapted from slides by Dr. Saumya Debray

06: Debugging

Steps in software development



Steps in software development



debugging

Invariants (reprise)

An *invariant* is a predicate about the program state that should always be true if the program is correct

- the programmer should know what invariants should hold where based on the intended functionality
- ⇒ If all invariants hold, everywhere in the program, on all runs, then the program <u>must</u> be correct
- ⇒ If a program is *not* working correctly, some (intended) invariant somewhere does not hold

Buggy vs non-buggy code

An invariant's-eye view of buggy vs non-buggy program execution:

Buggy vs non-buggy code

An invariant's-eye view of buggy vs non-buggy program execution:

= program states
 during execution

- 🙂 = all invariants hold
- some invariant does not hold





What is a bug?

A bug: a divergence between expectation and reality

Example:

I expect this program to print a sum of (non-negative) integers.

It's printing 0.

- 1. Find the earliest point where an invariant is not satisfied
- 2. Understand why the invariant fails to hold
- 3. Fix the code so that the invariant holds

- Programs that need debugging often:
 - involve a lot of code
 - process a lot of data
 - use complex logic
 - (some or all of the above)
- Figuring out the earliest point where an invariant is broken may not be easy
 - anything you can do to speed up this step is very useful
 - o **assert**s in the code
 - o "shrinking the search"

- 0. Find the smallest input and code that causes the bug to show up ("shrinking the search")
- 1. Find the earliest point where an invariant is not satisfied
- 2. Understand why the invariant fails to hold
- 3. Fix the code so that the invariant holds

- O. Minimize what you have to search through
 Find the smallest input and code that shows the bug
- 1. Locate the bug
 - Find the first place where an invariant is not satisfied
- 2. Understand the problem
 - Understand why the invariant fails to hold
- 3. Fix the code

- Goal: get the bug to show up in a smaller (shorter) run of the program
 - reduce the size (or complexity) of the <u>input data</u> while still getting the bug to show up
 - Example 1: the input is a list L of 40,000 words.
 - cut L into two pieces, L1 and L2, of about 20,000 words each
 - **if** the bug shows up when input is L1:
 - repeat the process using L1
 - **elif** the bug shows up when input is L2:
 - repeat the process using L2
 - o else:
 - repeat the process using a middle piece of L

discard irrelevant input

- Goal: get the bug to show up in a smaller (shorter) run of the program
 - reduce the size (or complexity) of the <u>input data</u> while still getting the bug to show up
 - Example 2: The input is a 20 x 20 grid of letters G
 - \circ divide G into smaller pieces G₁, G₂, G₃, G₄
 - \circ for each smaller piece G_i :
 - if G_i causes the bug to show up: repeat using G_i
 - else: try using a piece from the middle

 G1
 G2

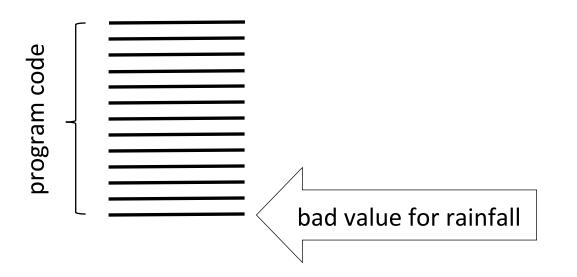
 G3
 G4

G

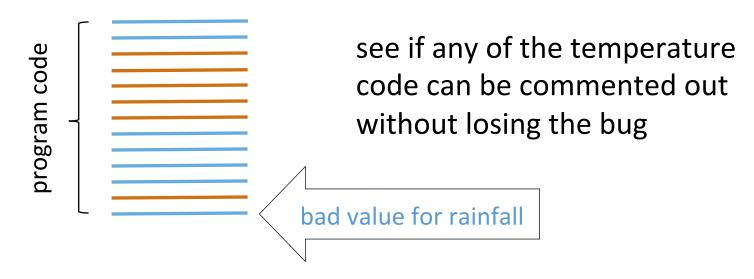
if the bug does not show up on (some of) the smaller pieces: this can itself give clues to the problem

16

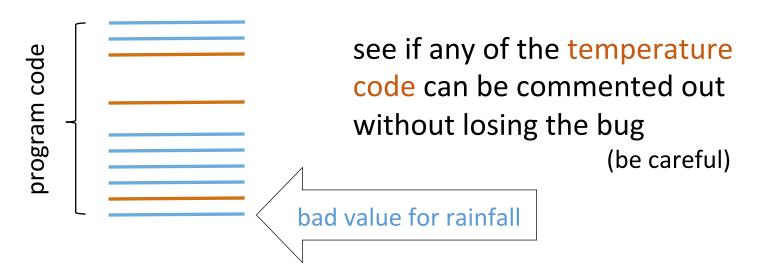
- Goal: get the bug to show up in a smaller (shorter) run of the program
 - reduce the size (or complexity) of the program code while still getting the bug to show up
 - Example 3: Consider a program to analyze rainfall and temperature data, with a bug in the rainfall analysis



- Goal: get the bug to show up in a smaller (shorter) run of the program
 - reduce the size (or complexity) of the program code while still getting the bug to show up
 - Example 3: Consider a program to analyze rainfall and temperature data, with a bug in the rainfall analysis



- Goal: get the bug to show up in a smaller (shorter) run of the program
 - reduce the size (or complexity) of the program code while still getting the bug to show up
 - Example 3: Consider a program to analyze rainfall and temperature data, with a bug in the rainfall analysis



finding the bug

O. Minimize what you have to search through
– Find the smallest input and code that shows the bug

1. Locate the bug

- Find the first place where an invariant is not satisfied

2. Understand the problem

- Understand why the invariant fails to hold

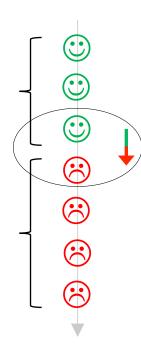
3. Fix the code

1. Locating the bug

• Goal: Find the earliest place in the code where an invariant is not true

good states : all invariants are true

bad states : some invariants are false



We are looking for the transition from good states to bad states

1. Locating the bug

- Goal: Find the earliest place in the code where an invariant is not true
 - we can work forwards, or backwards, or a combination of both

work forward from a good state to find the first bad state

○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○
○

work backward from a bad state to find the last good state

Inspecting program state

- To figure out whether an invariant is true at some point in the code at runtime:
 - need to look at the program's state*
- Common ways of inspecting program state:
 - use print statements
 - -use a debugger
 - pause the program's execution at specific points
 - step through the program's execution; or
 - set breakpoints at the desired program statements
 - inspect the program's state in the debugger

* program state = values of variables, data structures

Working forward vs. backward

- Working forward:
 - starting at a good state, identify a (later) bad state
 - + matches the direction of execution \Rightarrow easier
 - the program's state may be large and complex
 we may not know which part(s) to focus on
- Working backward

starting at a bad state, identify a (earlier) good state

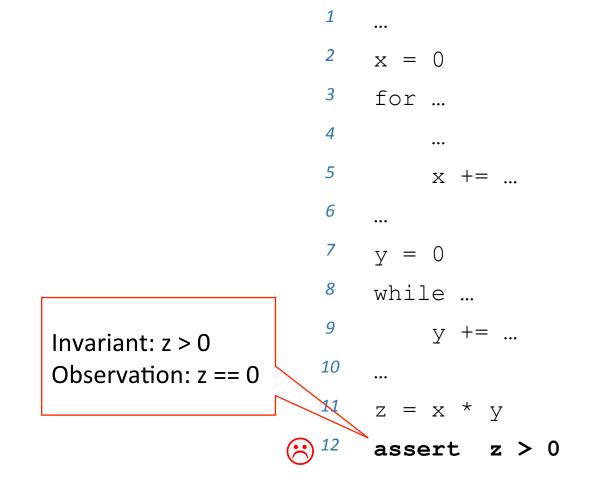
- + easier to know which part(s) of the program's state to focus on
- does not match direction of execution

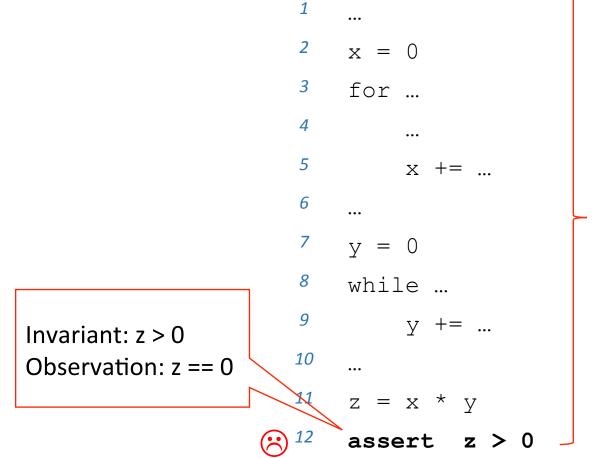
o use breakpoints; move them backwards on successive runs

Working backward

- Given: a bad state (i.e., some invariant is broken)
- Approach 1:
 - think of possible reasons for the broken invariant
 - o e.g.: "we didn't look at the last element of the list"
 - do experiments to accept or reject each hypothesis
 - the outcome of these experiments indicates whether some earlier state is good or bad
- Approach 2: (if Approach 1 is difficult to apply)
 - look at an earlier state to see if it is also bad
 - e.g.: if a function's arguments have bad values, look at the values of variables at the call site

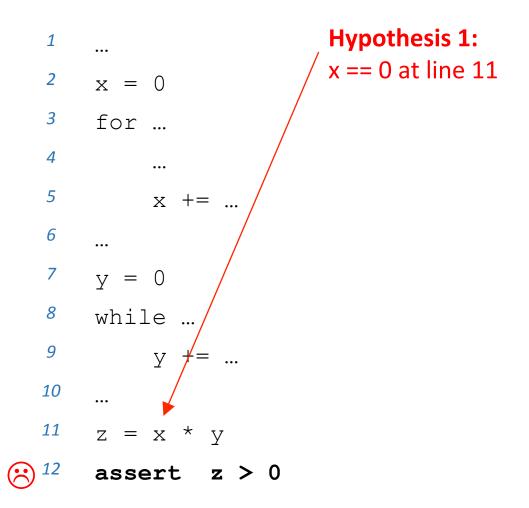
1 ••• 2 x = 03 for ... 4 ••• 5 x += ... 6 ••• 7 y = 08 while ... 9 y += ... 10 ... 11 z = x * y12 assert z > 0

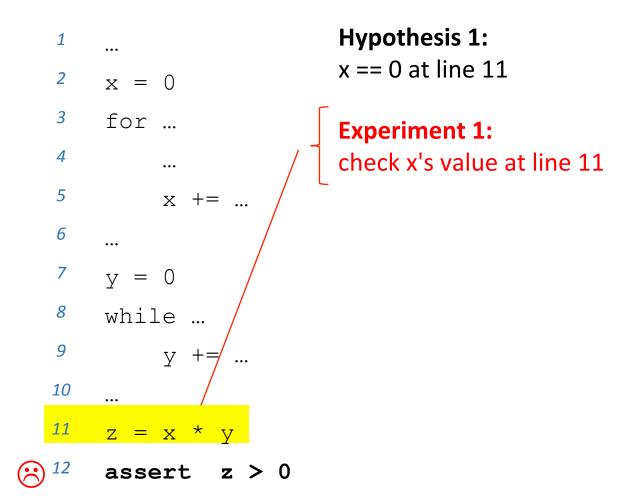


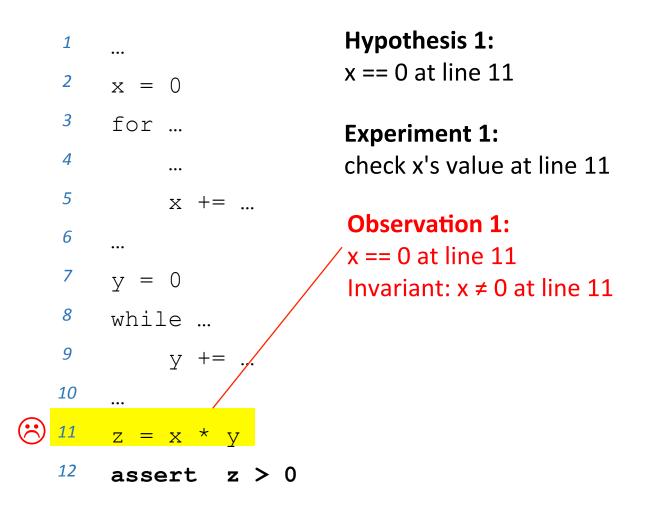


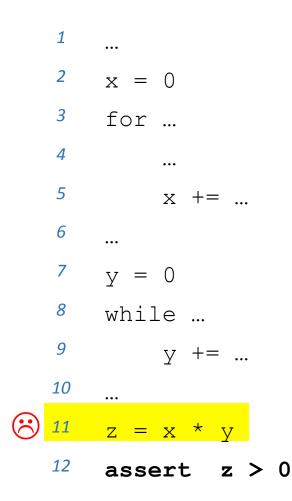
z has an incorrect value at line 11

so something is wrong somewhere in this range of code









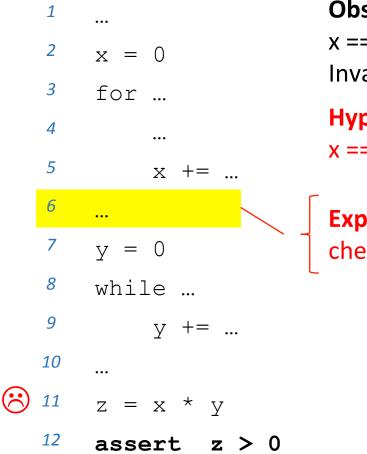
Hypothesis 1: x == 0 at line 11

Experiment 1: check x's value at line 11

Observation 1: x == 0 at line 11 Invariant: x ≠ 0 at line 11

Possible reasons:

- x == 0 at line 6; or
- x was set to 0 in lines 7-10



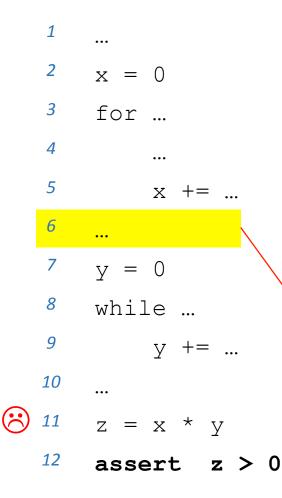
Observation 1:

x == 0 at line 11 Invariant: x ≠ 0 at line 11

Hypothesis 2: x == 0 at line 6

Experiment 2: check x's value at line 6





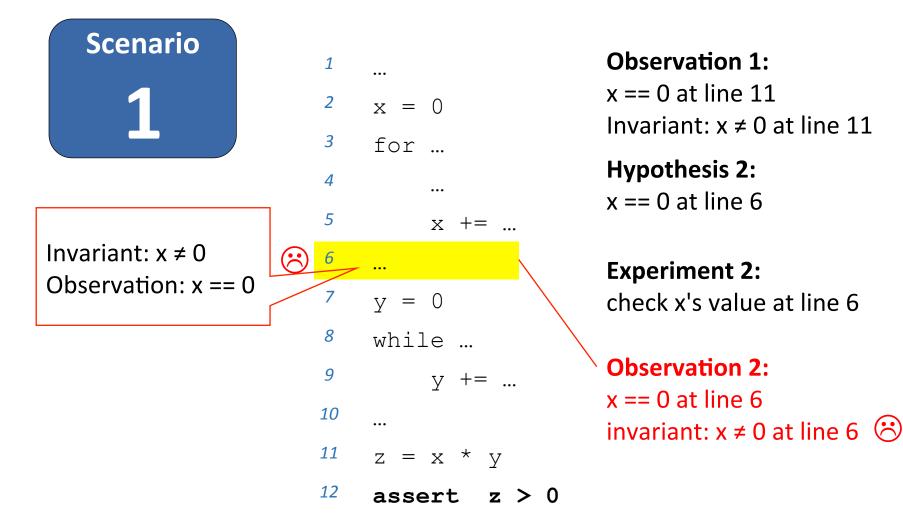
Observation 1:

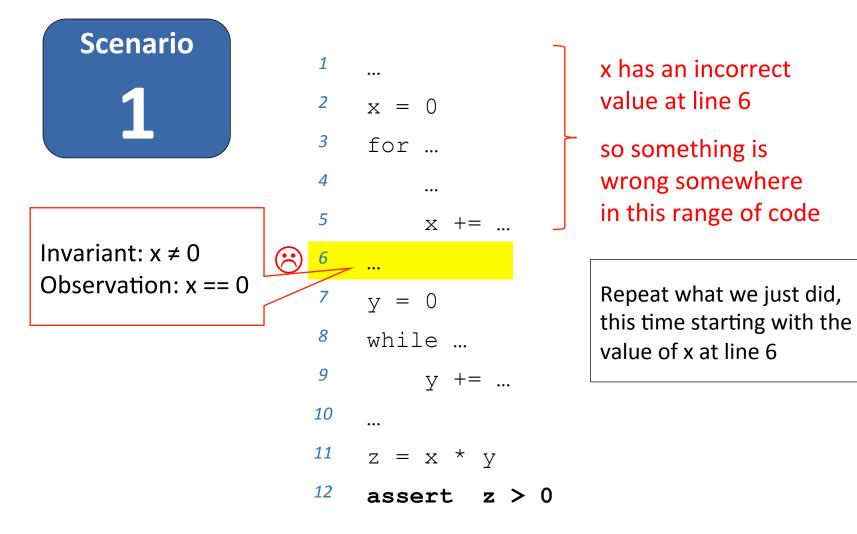
x == 0 at line 11 Invariant: x ≠ 0 at line 11

Hypothesis 2: x == 0 at line 6

Experiment 2: check x's value at line 6

Observation 2: x == 0 at line 6 invariant: $x \neq 0$ at line 6 \bigotimes







1 ...
2
$$x = 0$$

3 for ...
4 ...
5 $x += ...$
6 ...
7 $y = 0$
8 while ...
9 $y += ...$
10 ...
11 $z = x * y$
12 assert $z > 0$

Observation 1:

x == 0 at line 11 Invariant: x ≠ 0 at line 11

Hypothesis 2: x == 0 at line 6

Experiment 2: check x's value at line 6

Observation 2: $x \neq 0$ at line 6 invariant: $x \neq 0$ at line 6



	12	asse	ert		Z	>	0
$\overline{\ensuremath{\mathfrak{S}}}$	11	z =	Х	*	У		
	10						
	9		У	+=		•	
	8	whil	е	•••			
	7	у =	0				
\odot	6						
	5		Х	+=		•	
	4		•••				
	3	for	•••				
	2	x =	0				
	1	•••					

Observation 1:

x == 0 at line 11 Invariant: x ≠ 0 at line 11

Observation 2:

x ≠ 0 at line 6 invariant: x ≠ 0 at line 6

x has a correct value at line 6 but an incorrect value at line 11

so something is wrong somewhere in this range of code



	12	asse	ert		Z	>	0
$\overline{\mathbf{i}}$	11	z =	Х	*	У		-
	10						
	9		У	+=	• ••	•	
	8	whil	e	•••			
	7	у =	0				-
\bigcirc	6	•••					
	5		Х	+=	: ••	•	
	4		•••				
	3	for	•••				
	2	x =	0				
	1	•••					

Observation 1:

x == 0 at line 11 Invariant: x ≠ 0 at line 11

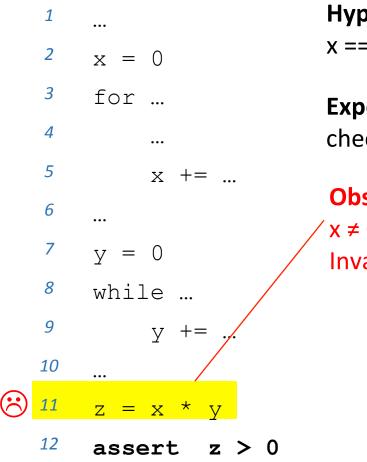
Observation 2:

 $x \neq 0$ at line 6 invariant: $x \neq 0$ at line 6

To find where the value of x becomes 0:

- We can work forward from line 6; or
 - 2. we can work backward from line 11





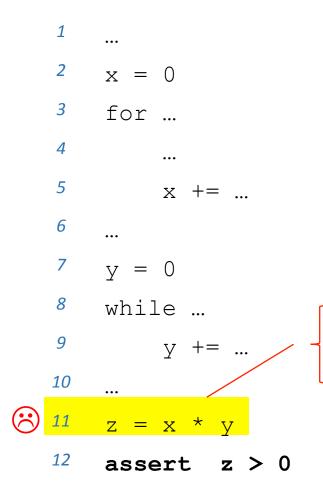
Hypothesis 1: x == 0 at line 11

Experiment 1: check x's value at line 11

Observation 1:

 $x \neq 0$ at line 11 Invariant: $x \neq 0$ at line 11 \bigcirc





Hypothesis 1: x == 0 at line 11

Experiment 1: check x's value at line 11

Observation 1: $x \neq 0$ at line 11 Invariant: $x \neq 0$ at line 11 \bigcirc

Experiment 2: check y's value at line 11



Hypothesis 1: x == 0 at line 11

Experiment 1: check x's value at line 11

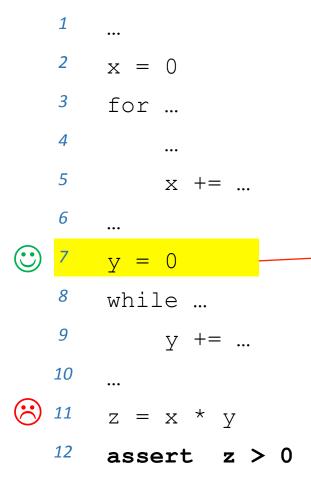
Observation 1: x ≠ 0 at line 11 Invariant: x ≠ 0 at line 11

Experiment 2: check y's value at line 11

Observation 2: y == 0 at line 11 Invariant: y \neq 0 at line 11

43





Observation 1:

x == 0 at line 11 Invariant: x ≠ 0 at line 11 ⓒ

Observation 2:

y == 0 at line 11 Invariant: y \neq 0 at line 11 \bigotimes

Check: is y initialized correctly? Suppose that it is

 (\cdot)



1 ...
2
$$x = 0$$

3 for ...
4 ...
5 $x += ...$
6 ...
6 ...
7 $y = 0$
8 while ...
9 $y += ...$
10 ...
11 $z = x * y$
12 assert $z > 0$

Observation 1:

x == 0 at line 11 Invariant: x \neq 0 at line 11 \bigcirc

Observation 2:

y == 0 at line 11 Invariant: y \neq 0 at line 11 \bigotimes

something is wrong with the computation of y somewhere in this range of code

Locating the bug: summary

- Find the earliest point A in the program where there is a bad state 😕
 - i.e., assert failed or incorrect value observed
- Identify a variable x whose value at A is incorrect
- Find the latest point where the value of x is correct 🙂
- Repeat:
 - narrow the range of code where x's value changes from correct to incorrect

until you see the problem or cannot narrow further

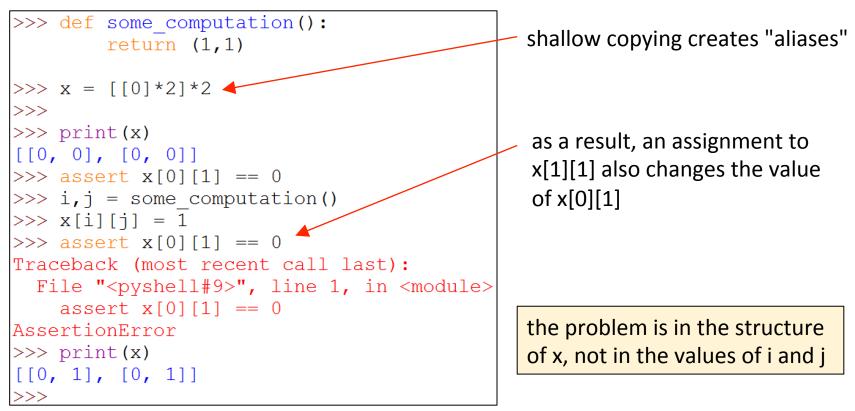
understanding the bug

The debugging process

- O. Minimize what you have to search through
 Find the smallest input and code that shows the bug
- 1. Locate the bug
 - Find the first place where an invariant is not satisfied
- Understand the problem
 Understand why the invariant fails to hold
- 3. Fix the code

- An observed bug may arise due to many different underlying reasons
- Unless you understand the reason, you cannot be sure that your changes will in fact fix the problem – recall test cases that may pass "accidentally"
- Understanding the reason for a problem may involve more hypotheses and experiments
 - often becomes easier with experience

Example 1



Example 2

<pre>>>> def some_computation(): return (0,1) </pre>	 the values assigned to i, j are incorrect
<pre>>>> print(x) [[0, 0], [0, 0]] >>> assert x[0][1] == 0 >>> i,j = some_computation() >>> x[i][j] = 1 >>> assert x[0][1] == 0 Traceback (most recent call last): File "<pyshell#9>", line 1, in <module></module></pyshell#9></pre>	as a result, this assignment changes the value of x[0][1] (the failed assert suggests that this was not intended)
<pre>assert x[0][1] == 0 AssertionError >>> print(x) [[0, 1], [0, 0]]</pre>	the problem is in the values computed for i and j
>>>	

• But the location and behavior of the buggy code are very similar in both cases

```
>>> print(x)
                                >>> print(x)
[[0, 0], [0, 0]]
                                [[0, 0], [0, 0]]
>>> assert x[0][1] == 0
                                >>> assert x[0][1] == 0
>>> i,j = some computation()
                                >>> i,j = some computation()
>>> x[i][j] = 1
                                >>> x[i][j] = 1
>>> assert x[0][1] == 0
                                >>> assert x[0][1] == 0
Traceback (most recent call la
                               Traceback (most recent call la
 File "<pyshell#9>", line 1,
                                 File "<pyshell#9>", line 1,
    assert x[0][1] == 0
                                    assert x[0][1] == 0
AssertionError
                                AssertionError
>>>
                                >>>
```

 Without understanding the reason for the problem, we can't fix it!

- Without understanding the reason for the problem, we can't fix it
- Once you have a hypothesis for the underlying reason for a bug, it may be worth doing experiments to confirm it
 - think of other observations (possibly on other inputs) that would support or reject your hypothesis

The debugging process

- O. Minimize what you have to search through
 Find the smallest input and code that shows the bug
- 1. Locate the bug
 - Find the first place where an invariant is not satisfied
- 2. Understand the problem
 - Understand why the invariant fails to hold
- 3. Fix the code

fixing the bug

Fixing the code

- At this point, you should have figured out:
 - the location of the bug; and
 - the underlying reason for the problem
- Think of what changes to the code will remove the problem, i.e., fix the bug
- If you can't figure out a fix, you may want to:

 dig deeper to understand the problem better
 possibly consider different data structures or algorithms